

# Consumption Dynamics, Housing Collateral and Stabilisation Policies

NIESR/RICS/CaCHE Conference  
"The Broken Housing Market"

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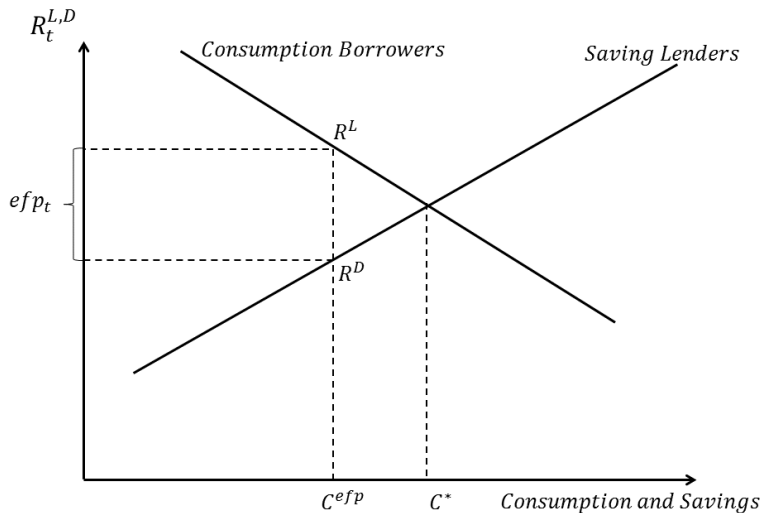
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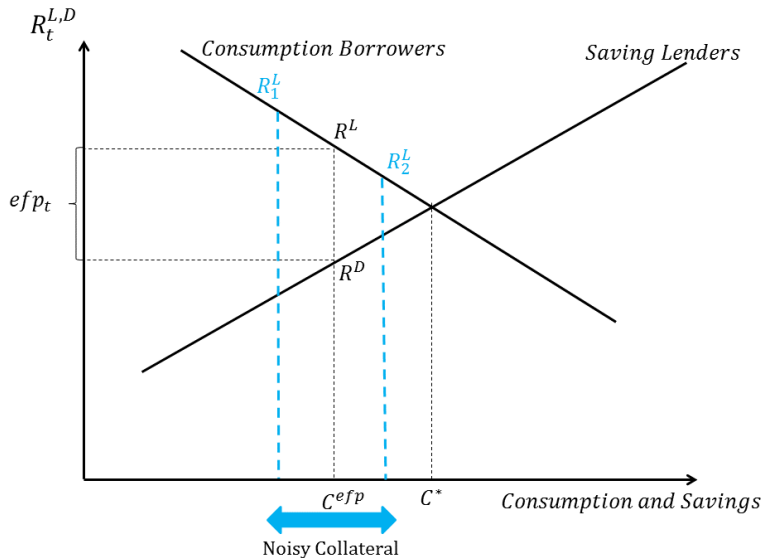
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- We explore the link between house prices, borrower consumption, LTVs and the lending rate.
- House prices are a function of credit constraints and affects consumption of borrowers (Muellbauer and Murphy 1997; Cameron et al. 2006).
- We match key facts on the house price-consumption relationship.
- Borrower lending cycle has spillovers for savers over time.
- Lending based on the value of the collateral accelerates borrowing and tends to exacerbate consumption volatility.

# The Bank Problem

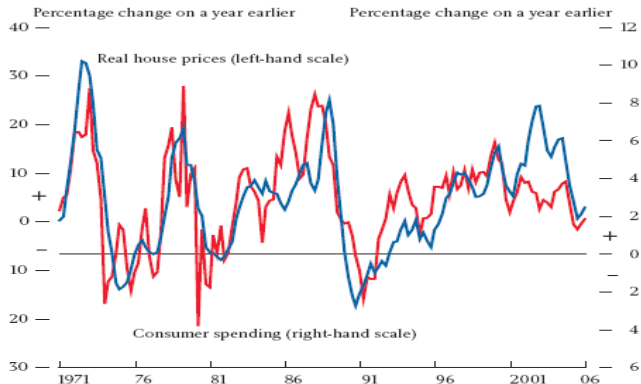


# Noisy Collateral: MPI as a function of collateral?



# Real House Prices and Consumption (BoE-UK)

**Chart 1**  
**Real house prices<sup>(a)</sup> and consumer spending**



Sources: Nationwide and ONS.

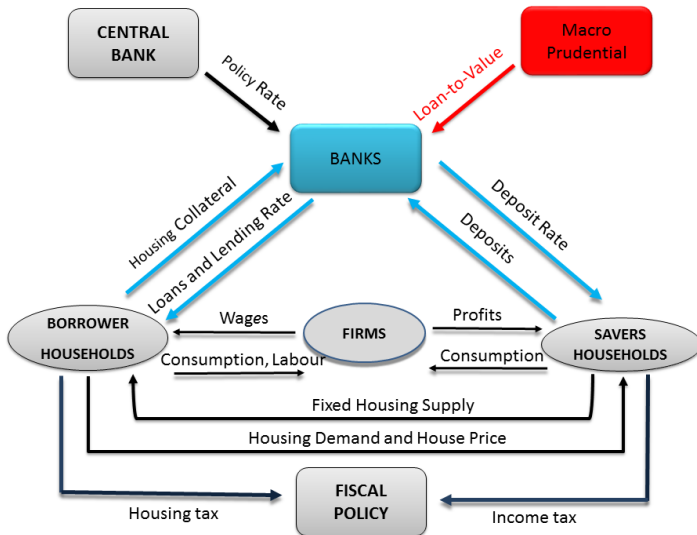
(a) Nationwide house price index deflated by the consumer expenditure deflator.

# Real House Prices and Total Consumption (BHPS-UK)

D.lnConsumption	Borrower	Saver	All
D.lnHousePrice	0.148** (0.07)	-0.154 (0.17)	0.054 (0.08)
D.ln Income	0.130** (0.06)	0.002 (0.02)	0.104** (0.05)
Other Controls	Yes	Yes	Yes
Year,Region dummies	Yes	Yes	Yes
N	23457	5664	28020
Hansen Test	21.93 (0.145)	14.24 (0.581)	26.17 (0.052)

Notes: Standard errors in parentheses. Other controls include gender, race, self-employment, age, marital status, number of children. PANEL IV-GMM (D.lnIncome and D.lnHousePrice instrumented with lags 2 to 12). Years: 1997-2008..

# Model Structure



# Optimal Decisions: Households and Banks

Saver and Borrower Household Consumption and Borrower's demand for loans:

$$c_t^s = F \left( \begin{array}{c} R_t^D, \mathbb{E}_t c_{t+1}^s \\ - \quad + \end{array} \right)$$
$$c_t^b = F \left( \begin{array}{c} R_t^L, \mathbb{E}_t c_{t+1}^b, v_t \\ - \quad + \quad - \end{array} \right) \quad l_t \leq \kappa_t \frac{H_t \mathbb{E}_t q_{t+1}}{R_t^L}$$

House Price: function of LTV ( $\kappa_t$ ) and binding loan demand ( $v_t > 0$ ).

$$q_t = F \left( \begin{array}{c} \underbrace{v_t \kappa_t \frac{\mathbb{E}_t q_{t+1}}{R_t^L}}_{+ \text{ if constraint binds}}, H_t, c_t^b, \mathbb{E}_t c_{t+1}^b \\ - \quad + \quad - \end{array} \right)$$

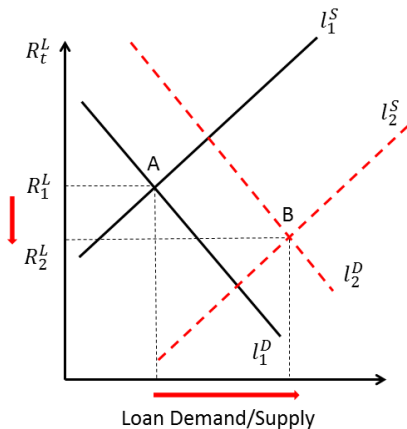
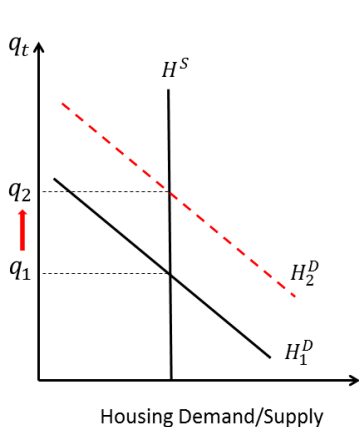
Bank Lending Rate ( $\lambda$  is the failure rate priced into loans):

$$efp_t = \frac{R_t^L}{R_t^M} = F \left( \begin{array}{c} \lambda \frac{l_t}{k_t q_t H_t} \\ + \end{array} \right)$$



# House Price and Borrowing

$$\mathbb{E}_t q_{t+1} \uparrow \rightarrow \left\{ \begin{array}{l} l_t^D \uparrow \rightarrow R_t^L \uparrow \\ q_t \uparrow \rightarrow l_t^S \uparrow \rightarrow R_t^L \downarrow \downarrow \end{array} \right\} \rightarrow R_t^L \downarrow \quad \text{Accelerator Effect}$$



- **Monetary Policy:**

$$R_t^M = \rho R_{t-1}^M + (1 - \rho) (\phi_\pi \pi_t + \phi_y Y_t) + \zeta_{m,t}$$

- **Government Budget:**

$$b_t = \frac{R_{t-1}^B b_{t-1}}{\pi_t} + (g_t - tax_t) + \zeta_{b,t}$$

- **Optimal Fiscal Policy:** government spending  $g_t$  and  $tax_t$ :

$$g_t = -f_y Y_t + f_T tax_t + \zeta_{g,t}$$

$$tax_t \equiv \tau_h q_t H_t^b + \tau_y Y_t$$

- **Optimal Macro-Prudential:**

$$\kappa_t = -f_k (l_t - l_{t-1}) + \zeta_{k,t}$$

# Model Moments: Benchmark Model

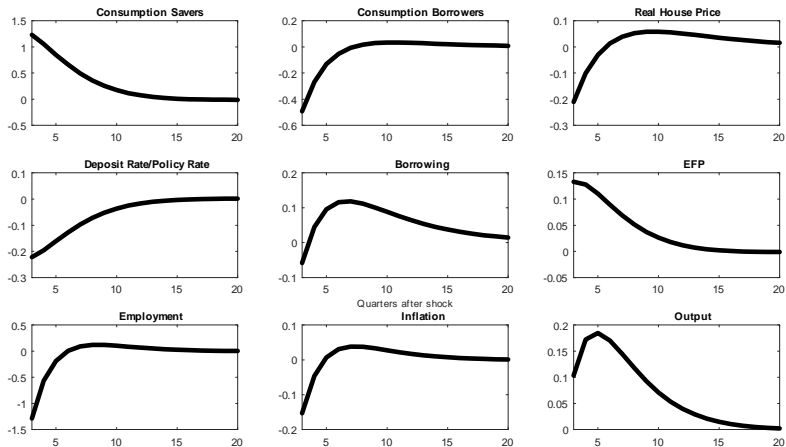
$C$  : aggregate consumption

Moments w.r.t. $Y$		
	Rel stdev ( $Y$ )	Corr ( $Y$ )
$C$	1.13	0.96
$C^s$	<b>2.49</b>	<b>-0.13</b>
$C^b$	<b>2.85</b>	<b>0.77</b>
$I$	5.52	0.36
$R^L$	0.28	0.35
$efp$	0.34	0.27
$q$	3.95	0.40
$\pi$	1.11	0.81

Moments w.r.t. $q$		
	Rel stdev ( $q$ )	Corr ( $q$ )
$C$	0.28	0.41
$C^s$	<b>0.72</b>	<b>-0.30</b>
$C^b$	<b>0.63</b>	<b>0.48</b>
$I$	1.39	0.99
$R^L$	0.07	-0.12
$efp$	0.08	-0.53
$q$	1	1
$\pi$	0.28	0.36

- Note procyclical EFP. High volatility of households consumption c.f. aggregate

# Productivity

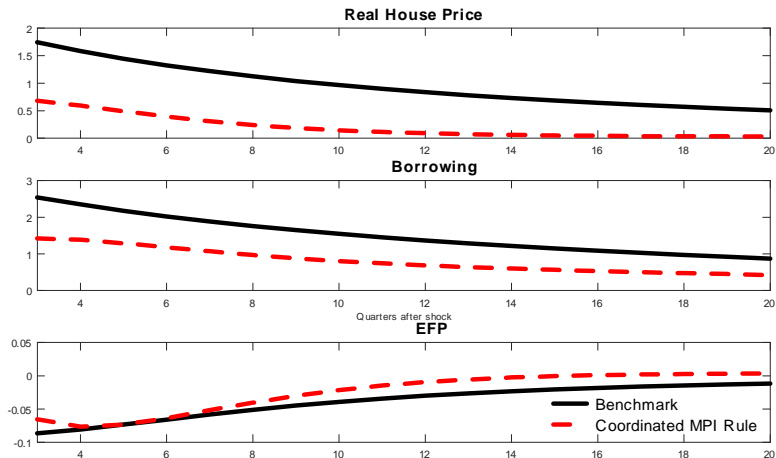


$$[f_y, f_t, \tau_h, \tau_y, f_k] = \arg \max \text{Welfare}$$

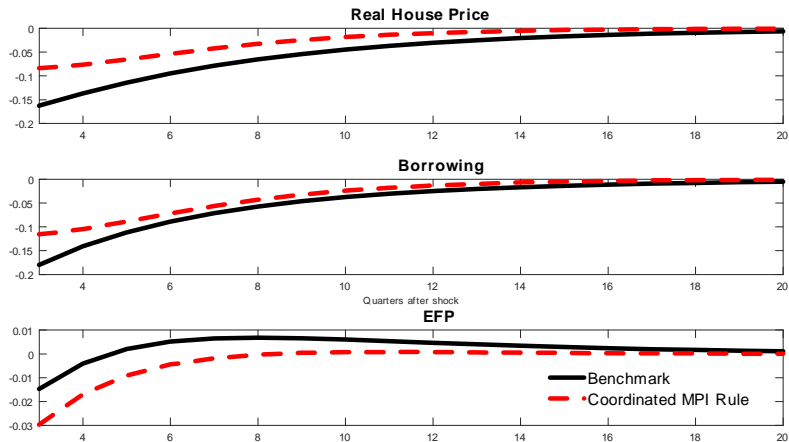
Table 5. Optimal Policy Parameters

	Government Spending		Tax		MPI
	$f_y$	$f_T$	$\tau_y$	$\tau_h$	$f_k$
Fiscal Policy	0.40	0.10	0.10	0.04	—
Coordinated MPI	0.59	0.10	0.15	0.10	0.79

# Collateral (LTV)



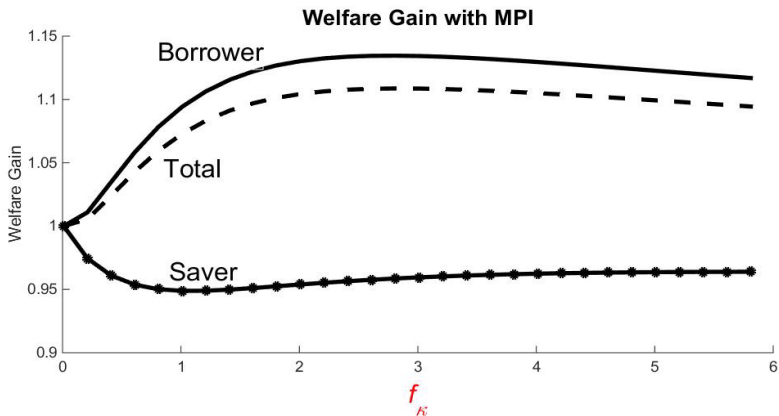
# Monetary Policy



# Utility Borrower and Saver and MPI

$\text{Corr}^{MPI}(q, C^b) = 0.39 \downarrow$ ,  $\text{Corr}(q, C^s) = -0.29 \simeq$ .

$$\kappa_t = -f_{\kappa}(l_t - l_{t-1}) + \tilde{\zeta}_{\kappa,t}$$





- Splitting consumption into saver and borrower households - illustrates consumption cycles.
- Borrowers use noisy collateral to fund consumption plans in response to shocks.
- Savers follow standard Euler equations but also face spillovers as they fund borrower demand.
- With MPI there are welfare gains for borrowers as house prices are less correlated with consumption.

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